

**Jenny Au**  
**Lesson 5**  
**10/11/12**

**Summary of Lesson: Log what is it?**

I began the topic by briefly reminding the students that logarithms were mentioned before in previous lectures. Students were shown two graphs that depict linear scale and log scale. They were asked what the difference between the two graphs was. Logarithms and exponents are shown that they are inverse of one another. At the end of class, they were shown a slide rule as a historic logarithmic calculator.

## GK-12 Lesson Plan

**Teacher: Eileen Montbleau**

**Period: \_\_\_\_\_ Class: Lowell High School Freshman Physics**

**Date(s): 10/11/12**

<b>SETTING THE STAGE</b>	
<u>Essential Question</u>	What are logarithms?
<u>Content Objective(s)</u> (Student-friendly)	Objective is to have students understand how to use logarithms
<u>Connection to previous or future lessons</u>	Logarithm is related to dB which is related to sound
<u>Critical Thinking Questions</u>	Why use logarithms?
<u>Key Vocabulary</u>	Logarithms, logarithmic scale, linear scale, exponent
<u>Materials Needed/Safety</u>	Power point, slide rule
<b>ACTIVE INSTRUCTION</b>	
<ul style="list-style-type: none"> <li>• Launch (Engage)</li> </ul>	Two simple line graphs are shown. One is the linear scale and the other is the logarithmic scale. On the linear line graph, values on the x-axis are in increments of +10 or -10. This shows addition or subtraction. On the log line graph, values on the x-axis are in multiples of 10 or 1/10. This shows multiplication or division.
<ul style="list-style-type: none"> <li>• Investigation (Explore)</li> </ul>	Logarithm is explained using a simple math example of exponential function and its inverse (logarithmic function). The definition for logarithmic function was given. A data table of different values of log based 10 was shown. A graph of linear scale and
<b>TIME FOR REFLECTION</b>	
<ul style="list-style-type: none"> <li>• Summarization (Explain &amp; Extend)</li> </ul>	Students were shown linear scale and log scale. They were asked what the difference between the two graphs was. They were shown a slide rule as a historic logarithmic calculator.
<ul style="list-style-type: none"> <li>• Assessment (Evaluate)</li> </ul>	Active Feedback.
<ul style="list-style-type: none"> <li>• Homework</li> </ul>	None

# Logarithms: What is it?

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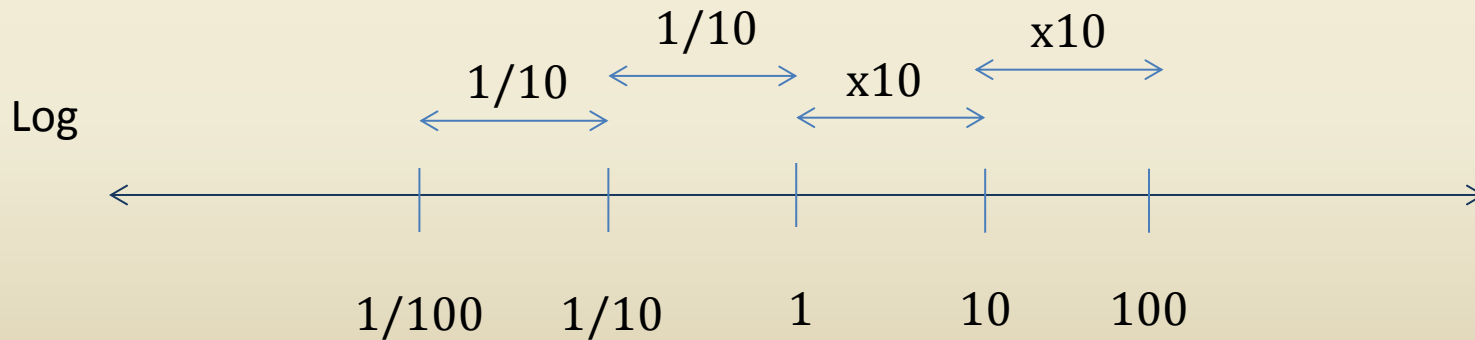
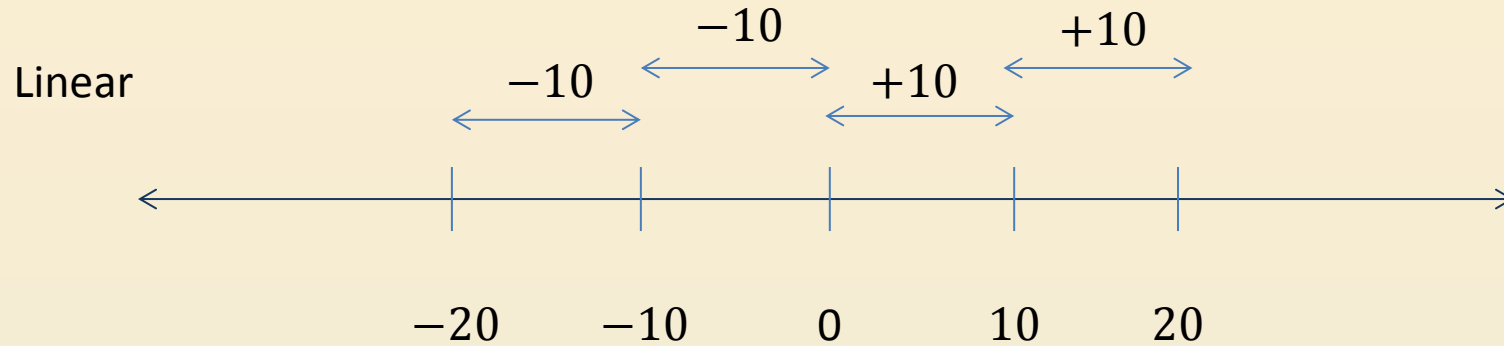
NSF GK-12 Fellow

Vibes and Waves in Action

Center for Advanced Computation and Telecommunications

University of Massachusetts Lowell

# Linear vs Logarithmic Scale



# Logarithm

- The inverse of taking the exponent of something

Exponential Function

$$2^3 = 2 \times 2 \times 2 = 8$$

Logarithmic Function

$$\log_2 8 = 3$$

# Logarithmic Function

## DEFINITION

If  $b > 0$  and  $b \neq 1$ , then

$$y = \log_b x$$

for every  $x > 0$  and every real number  $y$ .

## Exponential Function

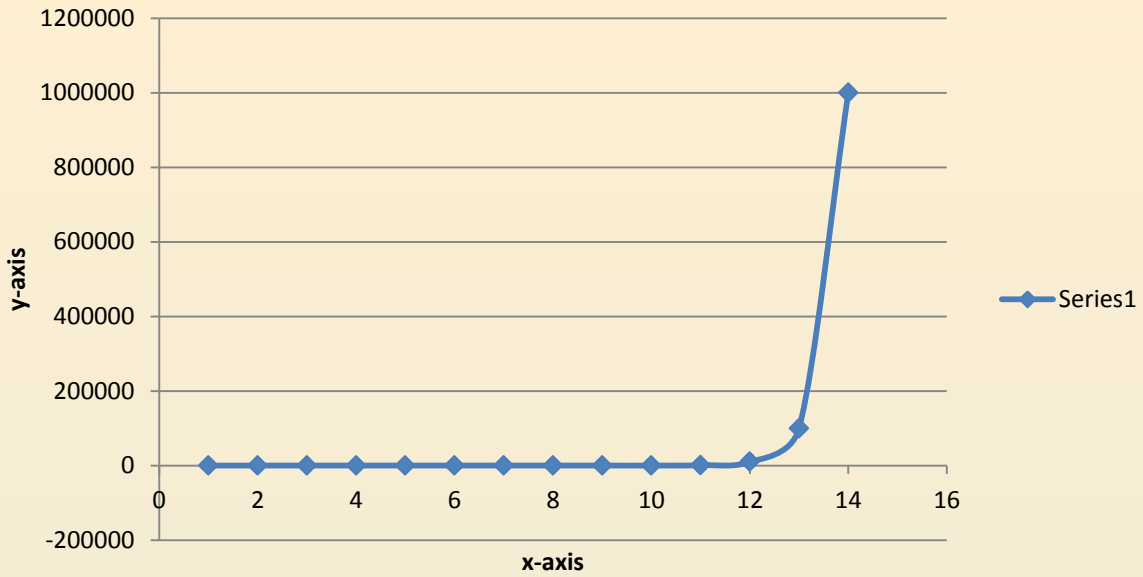
$$x = b^y$$

# Logarithms

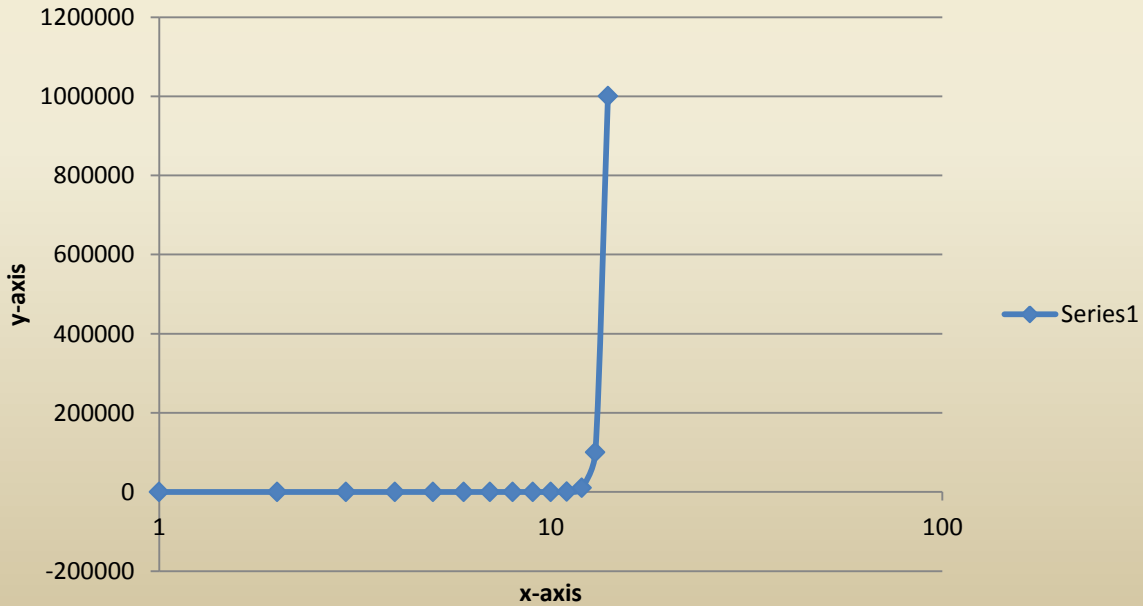
$\log_b x$	$y$	$x = by$
$\log_{10} 0$	undefined	$0 = 10^y$
$\log_{10} 1$	0	$1 = 10^0$
$\log_{10} 2$	0.3	$2 = 10^{0.3}$
$\log_{10} 3$	0.48	$3 = 10^{0.48}$
$\log_{10} 4$	0.6	$4 = 10^{0.6}$
$\log_{10} 5$	0.7	$5 = 10^{0.7}$
$\log_{10} 6$	0.78	$6 = 10^{0.78}$
$\log_{10} 7$	0.85	$7 = 10^{0.85}$
$\log_{10} 8$	0.9	$8 = 10^{0.9}$
$\log_{10} 9$	0.95	$9 = 10^{0.95}$
$\log_{10} 10$	1	$10 = 10^1$
$\log_{10} 1000$	3	$1000 = 10^3$
$\log_{10} 1000000$	6	$1000000 = 10^6$

x-axis	y-axis
1	1
2	2
3	3
4	4
5	5
6	6
7	7
8	8
9	9
10	10
11	1000
12	10000
13	100000
14	1000000

### Linear Scale



### Logarithmic Scale

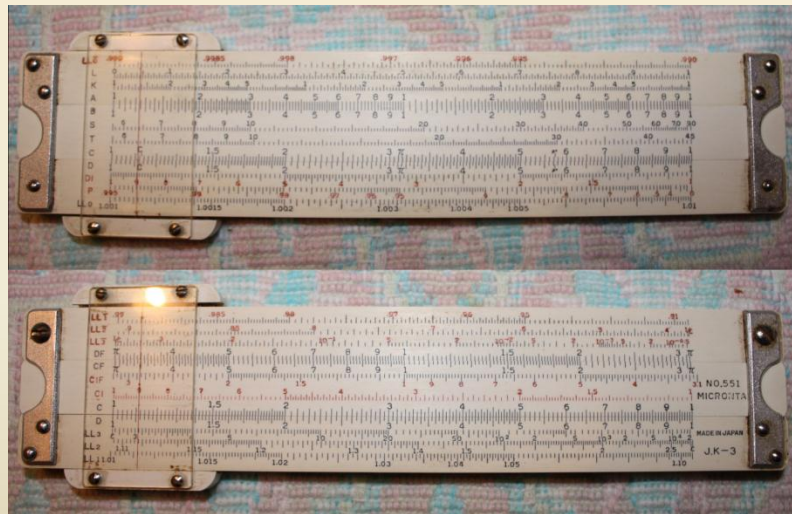




How can you calculate Logarithms?

# Slide Rule

- Mechanical analog computer (1620-1630)-(1974)
  - Multiplication and division
  - Roots, logarithms, trigonometry



- 2000 BC - 1600 BC: Babylonians
- 1614 AD: John Napier - Inventor of Logarithms